

Figure IA A simplified PSK transmitter.

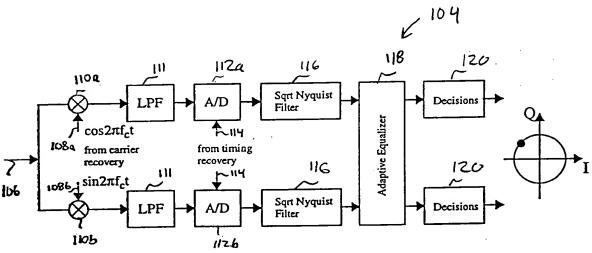


Figure 18 A simplified PSK receiver.



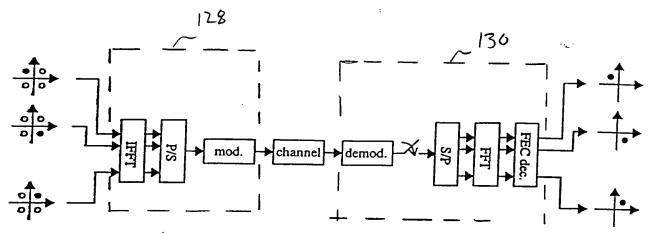


Figure | Simplified block diagram of an OFDM system.

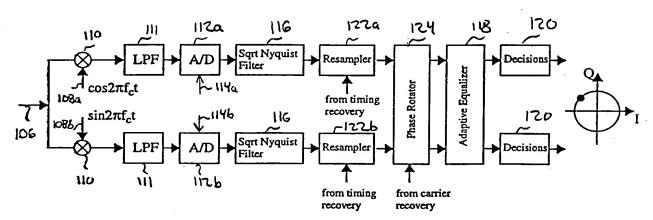


Figure 1D PSK receiver with carrier and timing recovery.

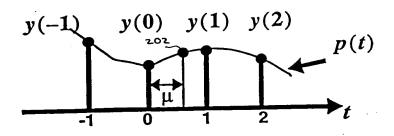
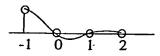


Figure 2 Interpolation Environment



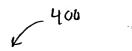
$$C_{-1}(\mu) = -\frac{1}{6}\mu^3 + \frac{1}{2}\mu^2 - \frac{1}{3}\mu$$

$$C_0(\mu) = \frac{1}{2} u^3 - \mu^2 - \frac{1}{2} \mu + 1$$

$$C_1(\mu) = \frac{1}{2} u^3 + \frac{1}{2} \mu^2 + \mu$$

$$C_2(\mu) = \frac{1}{6}\mu^3 - \frac{1}{6}\mu$$

Figure 3 The Lagrange basis polynomials.



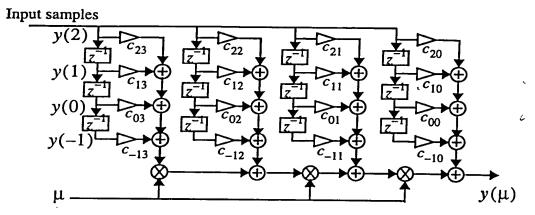


Figure 4 The Farrow structure that implements (2.5) and (2.6).

504

Determine coefficients for a trigonometric polynomial based on the set of N data samples according to:

$$c_k = \sum_{n=-N/2+1}^{N/2} y(n)W_N^{kn}, \quad k = -\frac{N}{2}+1,...,\frac{N}{2}.$$

Evaluate the trigonometric polynomial at the offset μ , according to:

$$y(\mu) = \frac{1}{N} \left(\sum_{k=-N/2+1}^{N/2-1} c_k W_N^{-k\mu} + c_{N/2} \cos \pi \mu \right).$$

Take a real part of the polynomial for the desired interpolation value

- 508

506

F16.5

COCCECT 64 COCCC

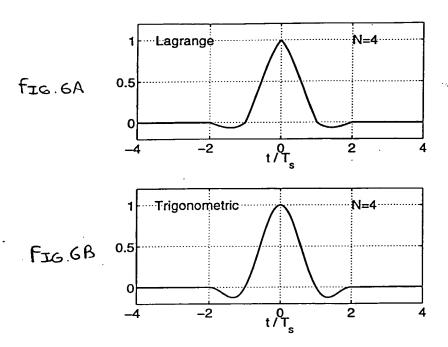


Fig. 6A-6B Impulse responses of (a) Lagrange interpolator and (b) Trigonometric interpolator.

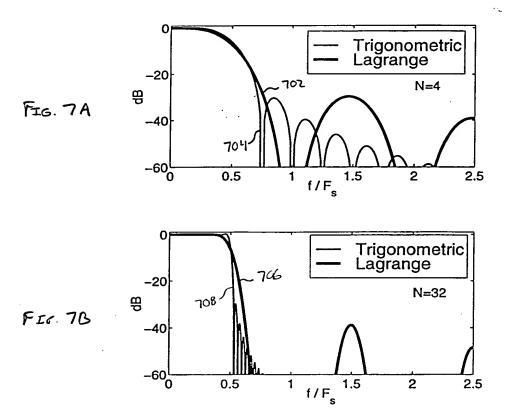


Fig. 7A-7B: Frequency responses for (a) N=4 and (b) N=32.

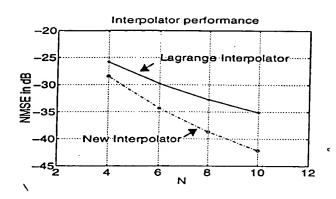


Figure & NMSE of the interpolated signal.

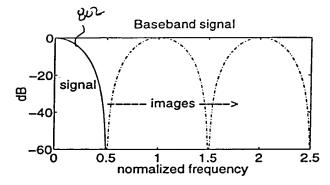


Figure 8A Signal with two samples/symbol and 100% excess BW.

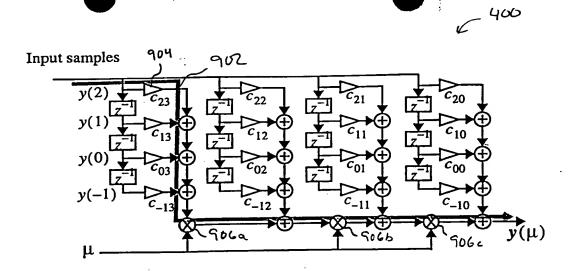


Figure 7 The critical path of the Lagrange cubic interpolator.

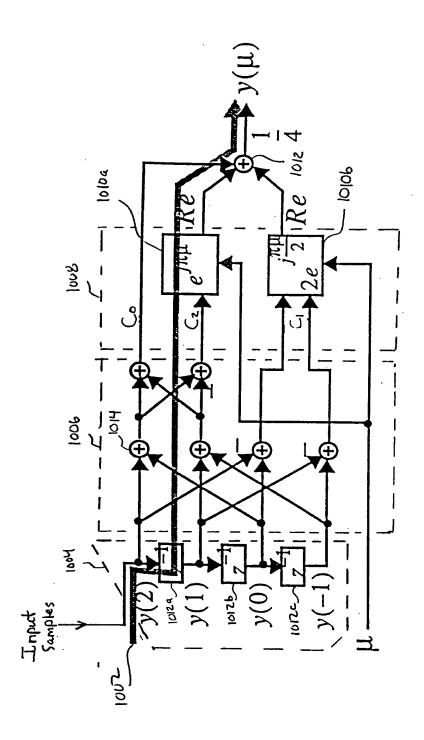


FIG. 10% Trignometric Interpolator (N=4)

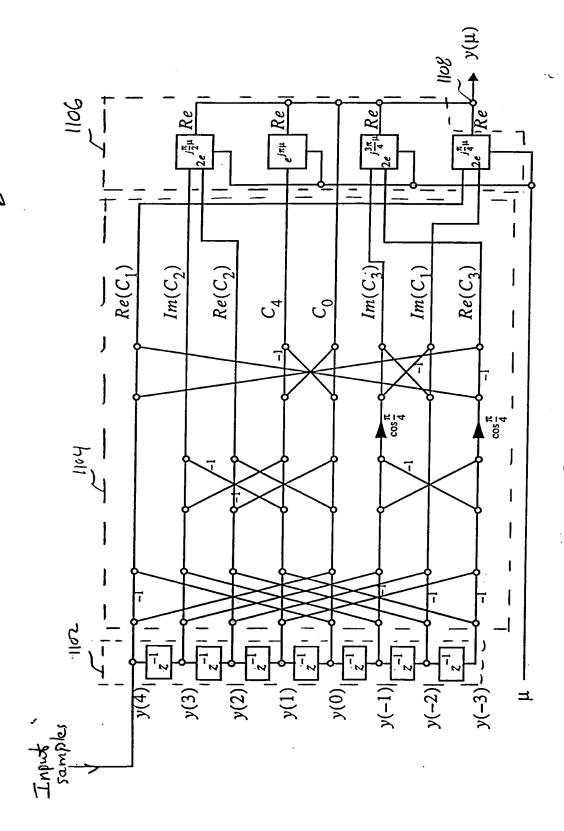


Figure 11 Trisonometric Interpulator with N=8.

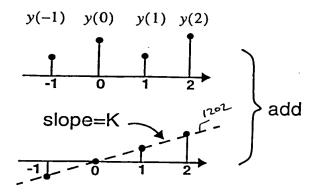


Figure 12. Conceptual modification of input samples.

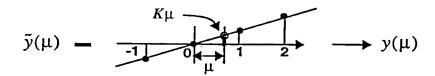


Figure 13 Correcting the offset due to modification of original samples.

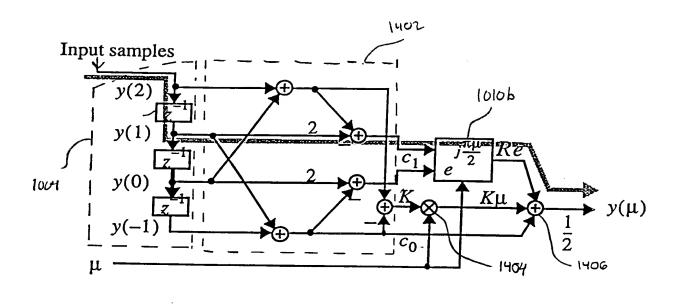


FIG. 14: Ingunumetric Interpolator N= 4

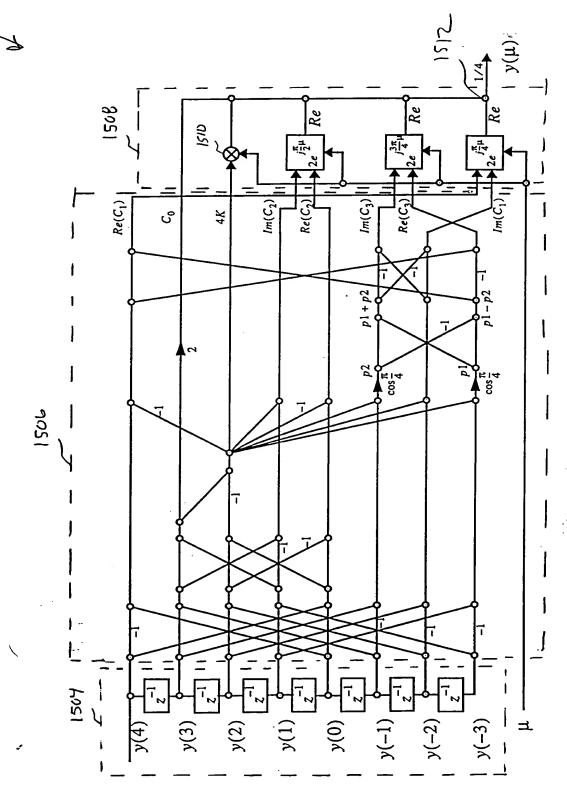
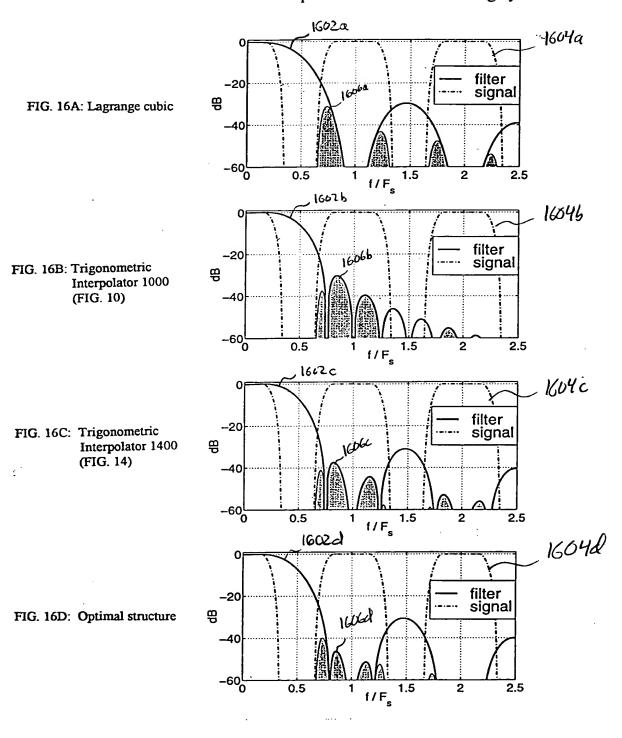


FIG. 15 The modified Trisononietric Interpolatur

Interpolation errors are shown in gray.



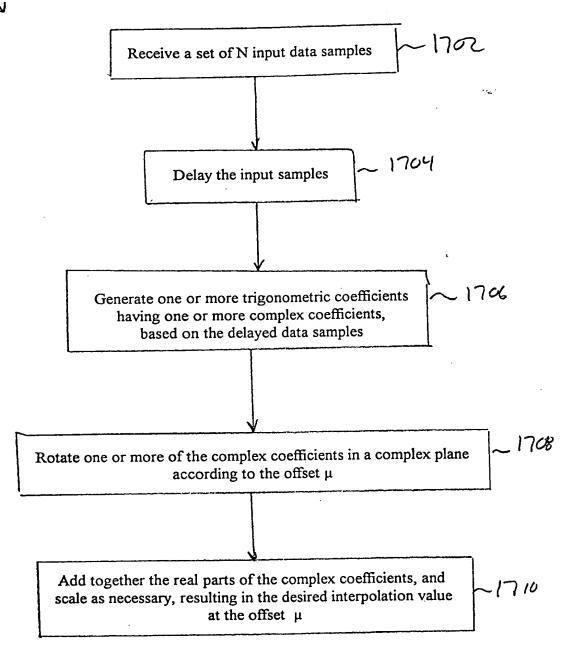
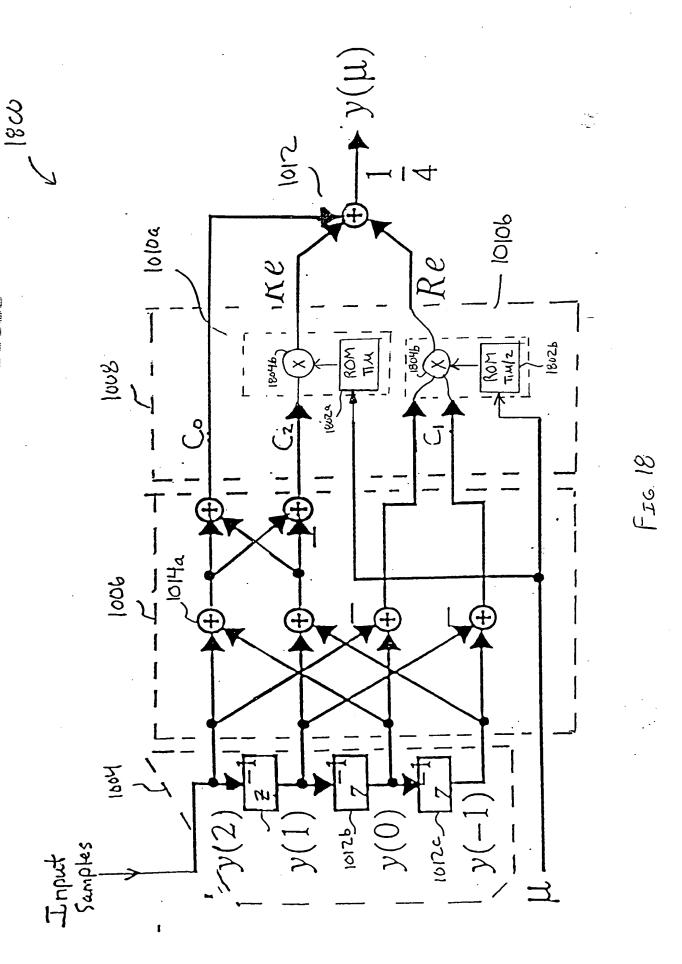


FIG. 17



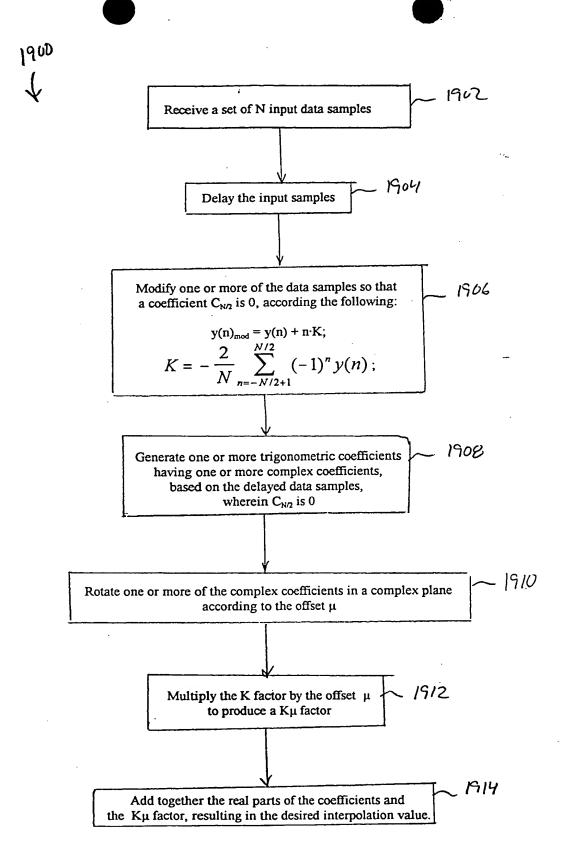
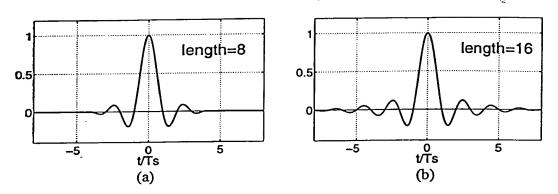


FIG. 19



 $F_{IG}.20$: Normalized Impulse responses f of the interpolation filters.

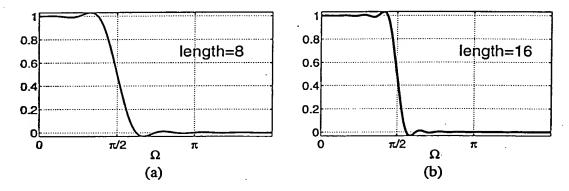


Fig. 71: Normalized Frequency responses F of the interpolation filters.

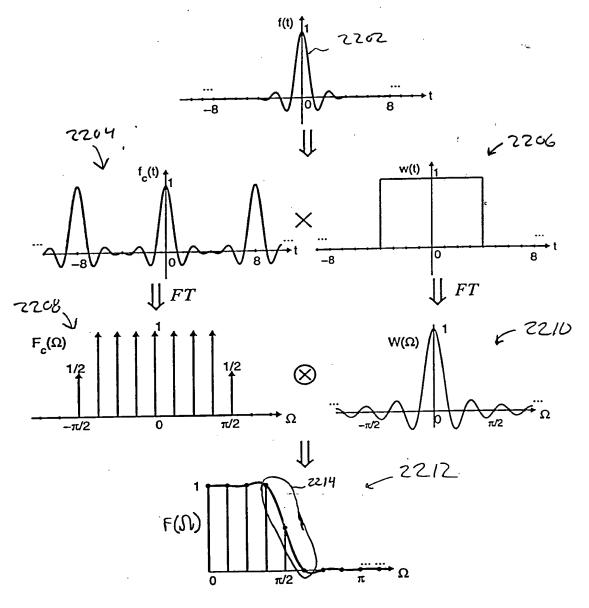


FIG. 22: Analysis of the frequency responses.

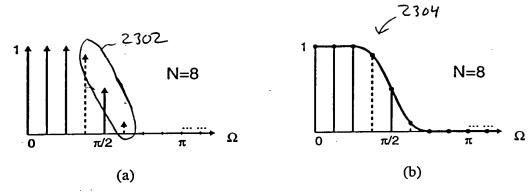
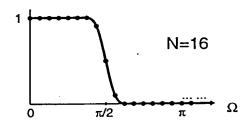


FIG. 23 Effect of a more gradual transition at the band edge.



 $\mathcal{F}_{16.24}$ Reducing the transition bandwidth by increasing N.

3-4b, in which N = 8.

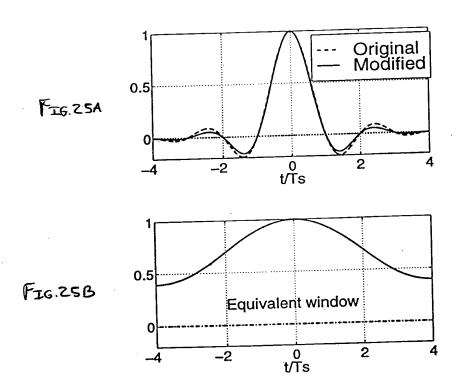


FIG 25A-B: (A) Impulse response of the original filter and the modified filter: (B) The equivalent window.

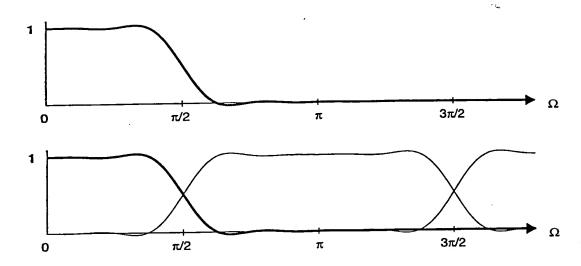
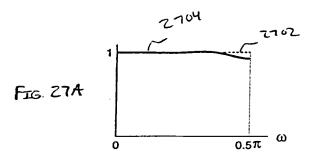


Fig. 26 Forming the frequency response of the discrete-time fractional-delay filter.



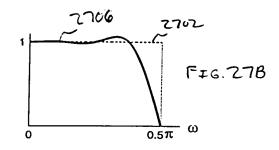
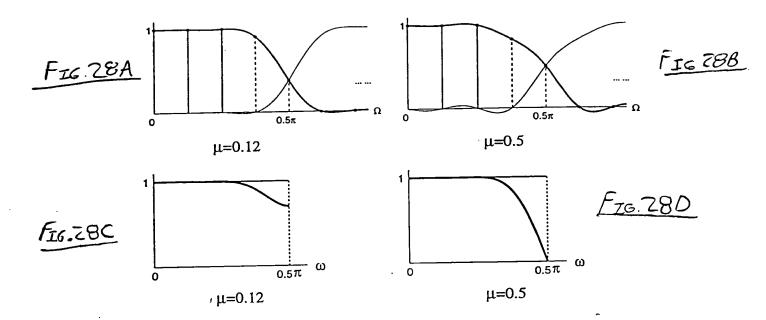
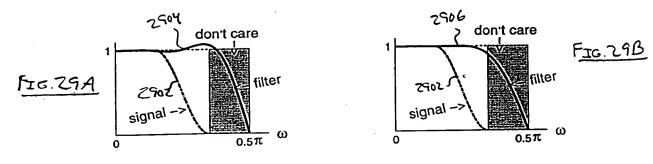
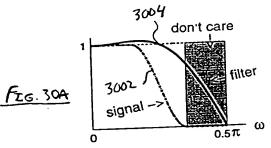


Fig. 27A -B: Fractional-delay filter with (A) μ =0.12 and (B) μ =0.5, using the preliminary N=8 interpolator.





 $F_{\mu}(\omega)$, with $\mu=0.5$, N=8, (A) before and (B) after optimization.



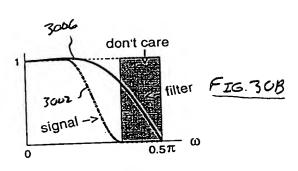


Fig. 30A-B $F_{\mu}(\omega)$ for $\mu=0.5$, N=4, A before and B after modification.

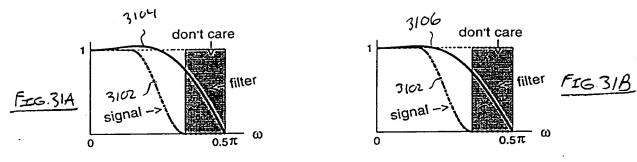


FIG. 3/A-P₃ $F_{\mu}(\omega)$, μ =0.5, simplified N=4 structure, A before and B, after modification.

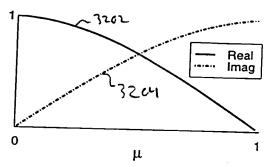


Fig. 32: Real and imaginary components of the $\hat{F}_{\mu}(1)e^{j\frac{\pi}{2}\mu}$ value.

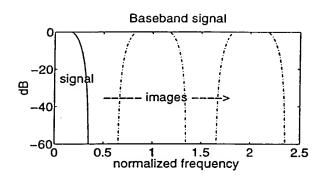
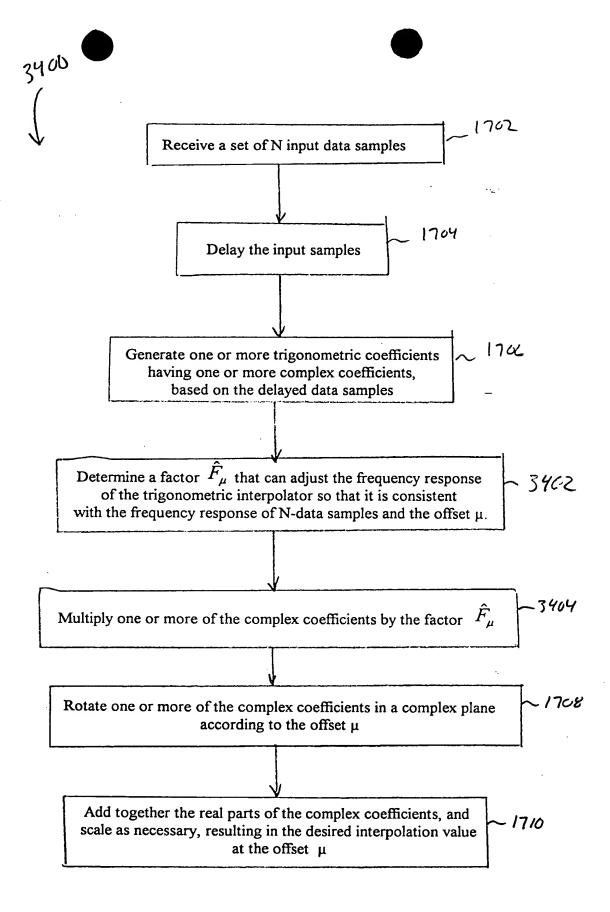
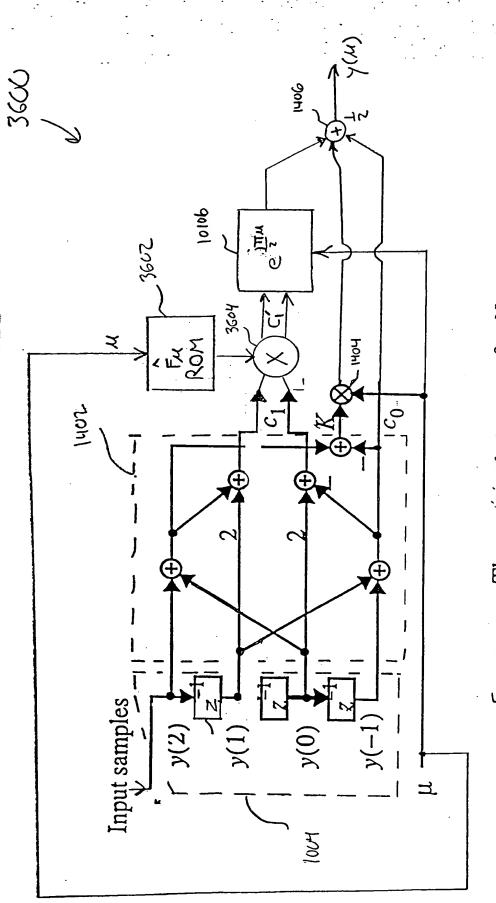


FIG.33: Signal with two samples/symbol and 40% excess bandwidth.



F16.34

1902 Receive a set of N input data samples Delay the input samples -1904 Modify one or more of the data samples so that a coefficient $C_{N/2}$ is 0, according the following: 1906 $y(n)_{mod} = y(n) + n \cdot K;$ $K = -\frac{2}{N} \sum_{n=-N/2+1}^{N/2} (-1)^n y(n);$ Generate one or more trigonometric coefficients having one or more complex coefficients, based on the delayed data samples, wherein C_{N/2} is 0 Determine a factor F_{μ} that can adjust the frequency response 3402 of the trigonometric interpolator so that it is consistent with the frequency response of N-data samples and the offset u. Multiply one or more of the complex coefficients by the factor -1910 Rotate one or more of the complex coefficients in a complex plane according to the offset µ Multiply the K factor by the offset μ 1912 to produce a Kµ factor Add together the real parts of the coefficients and -1914 the Kµ factor, resulting in the desired interpolation value.



The optimised structure for N=4.

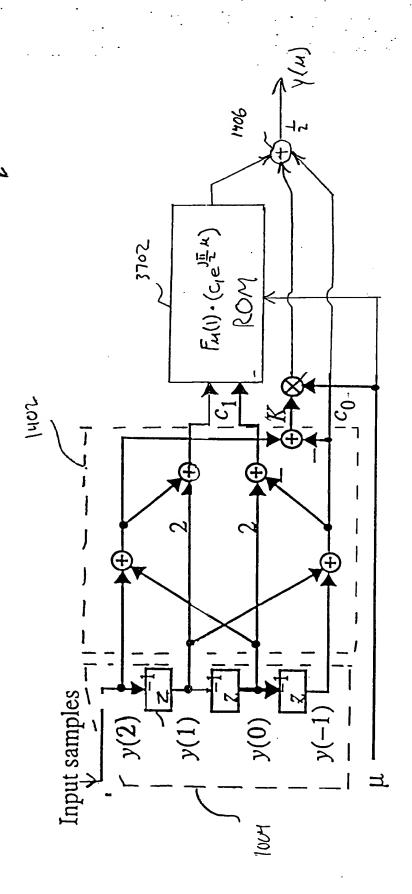


Fig. 37: The 19th red structure for N=4.



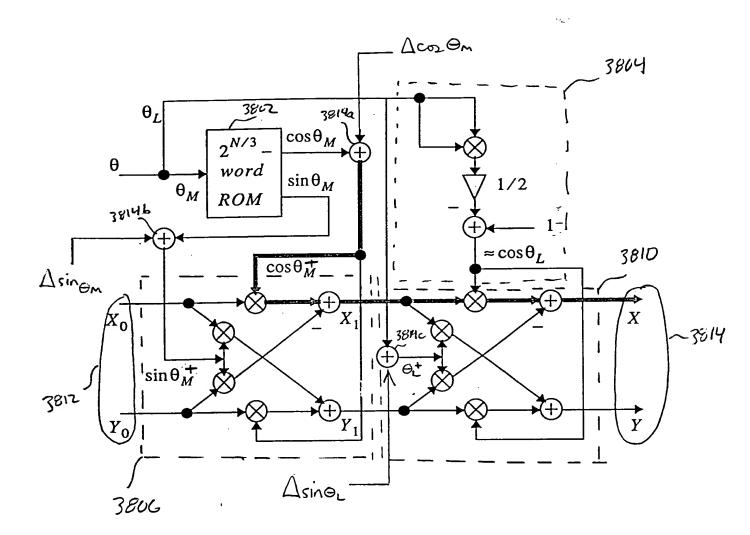
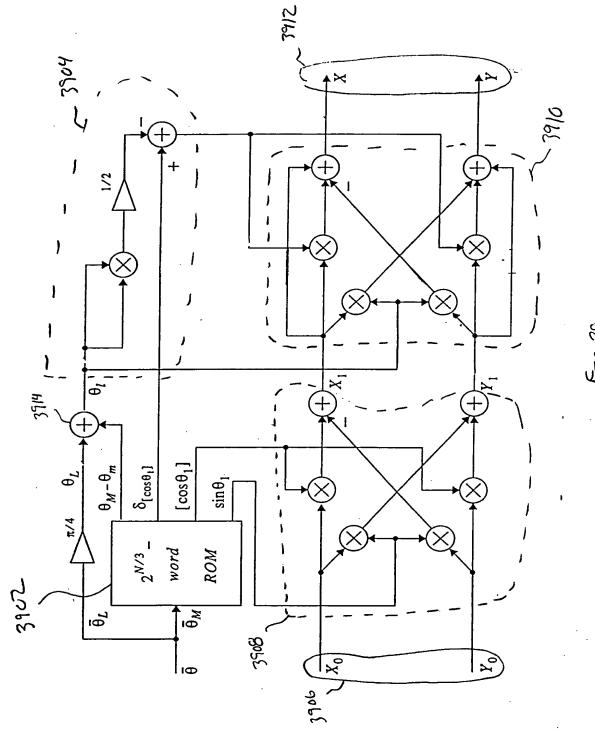


FIG. 38



\$ 7

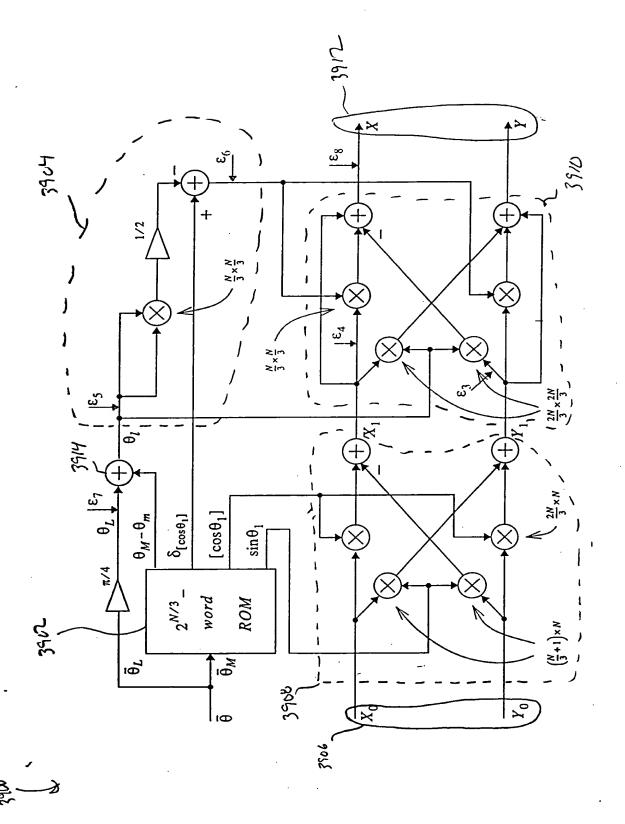
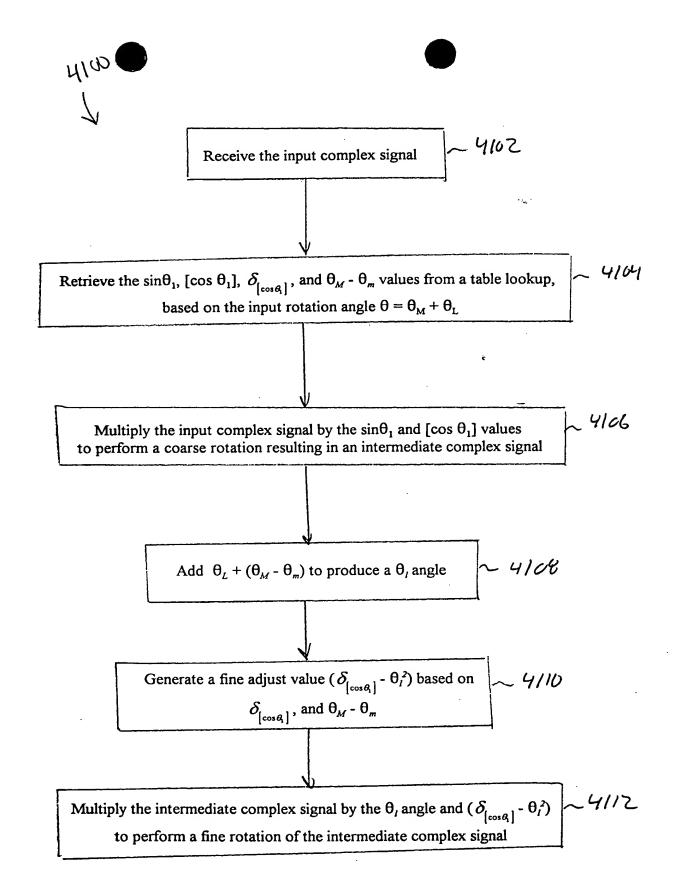


FIG. 40



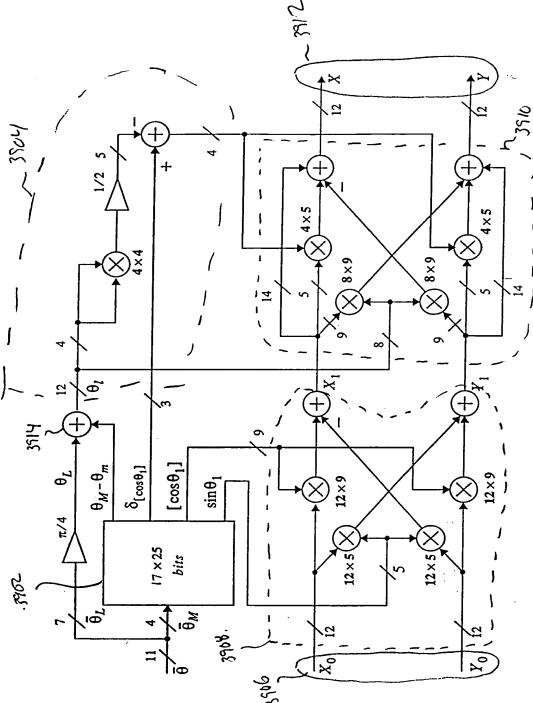
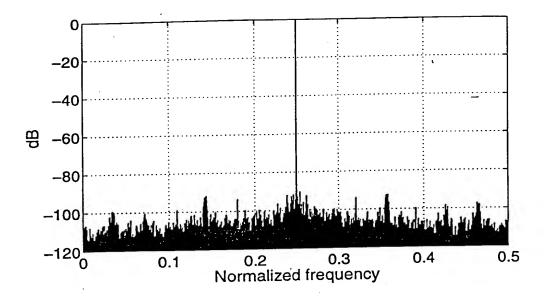
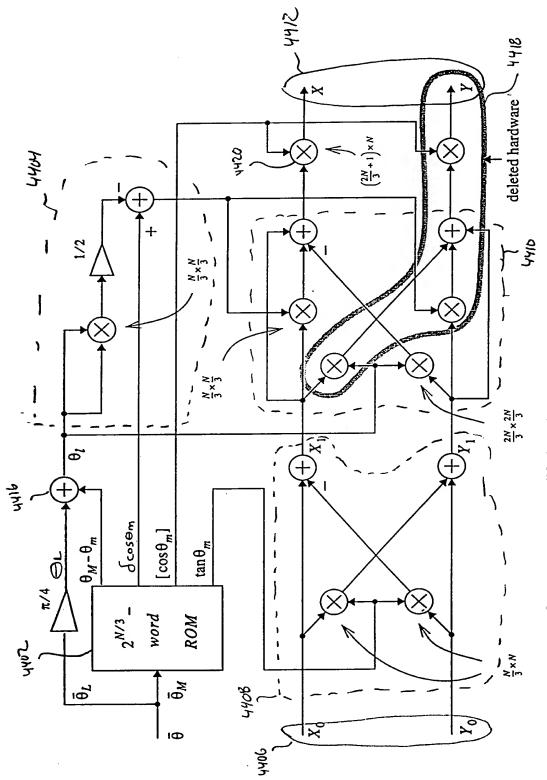


FIG. 42 The internal wordlength of the structure that achieved 90.36 dB SFDR.



Output spectrum showing 90.36 dB SFDR.



 $F_{\mathcal{IG}}$. 44 A modified architecture when only one output is needed.

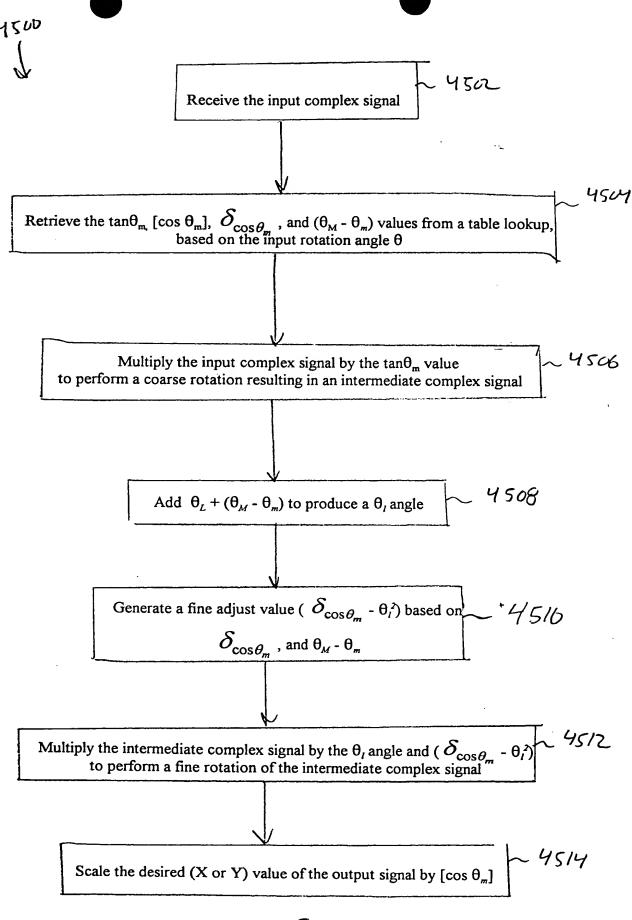
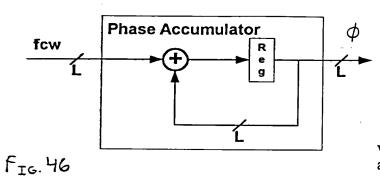


FIG. 45



where the adder is an overflowing accumulator.

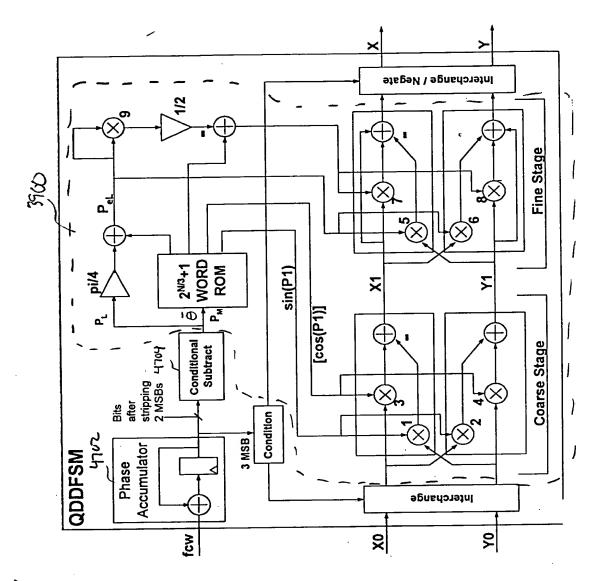


FIG 47

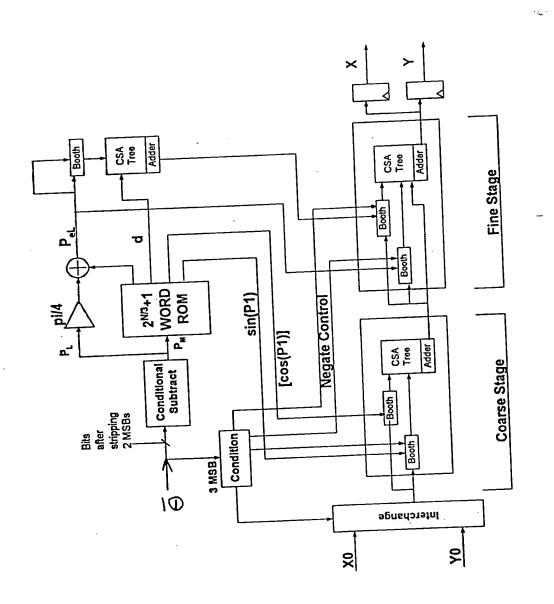
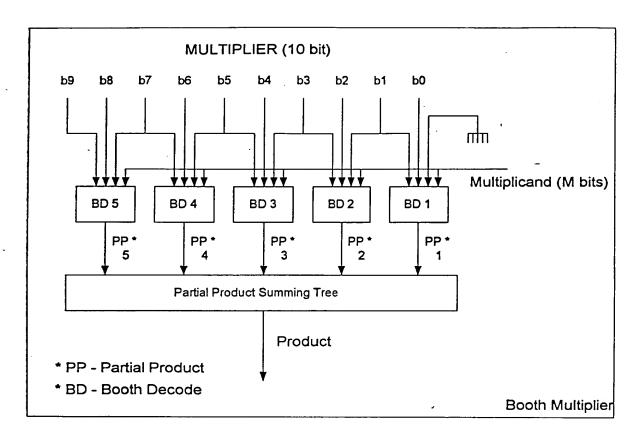


FIG. 48

mah



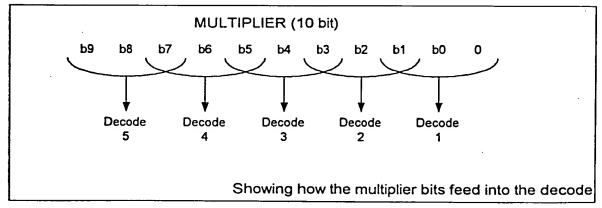


FIG. 49

5100 5000 Original Booth Table Negating Booth Table PP b2 b1 b2 PP b0 b1 b0 0 0 A*0 0 0 0 0 0*A 0 0 0 1 1*A 0 1 -1*A 1 -1*A 1*A 0 0 0 0 2*A 0 1 1 -2*A 0 1 1 -2*A 0 2*A 0 0 1 0 -1*A 0 1 1 1 1*A 1 1 -1*A 0 1 1 0 1*A 1 , 1 0*A 1 1 0*A FIG. 50 FIG. 51

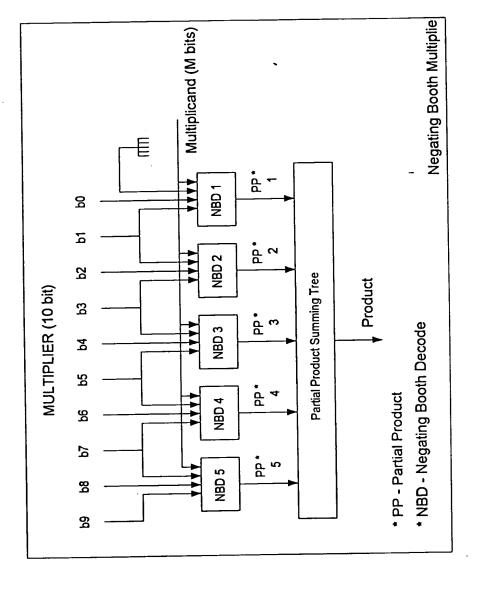
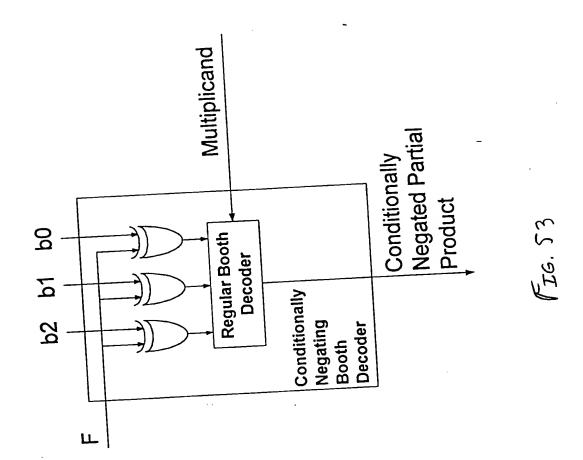


FIG. 52



23.00

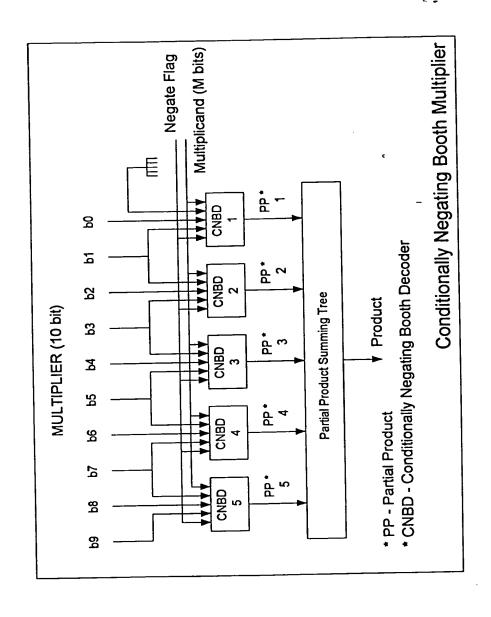
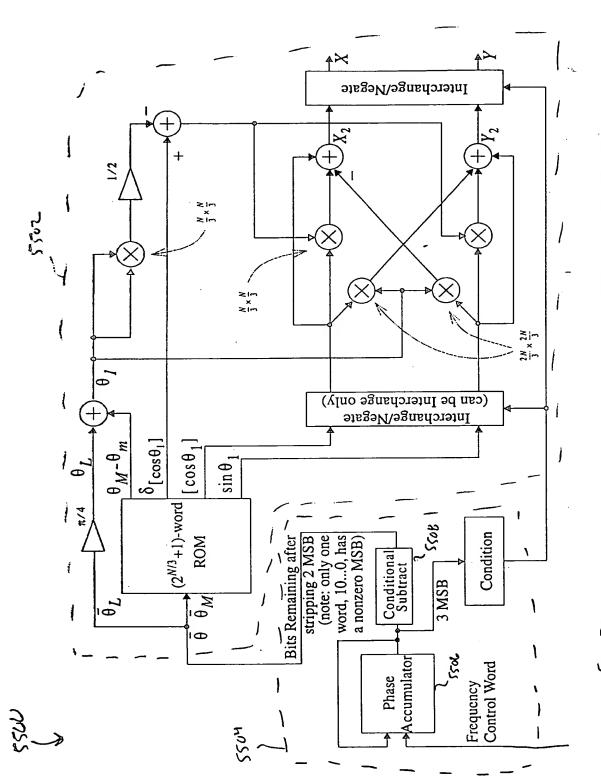
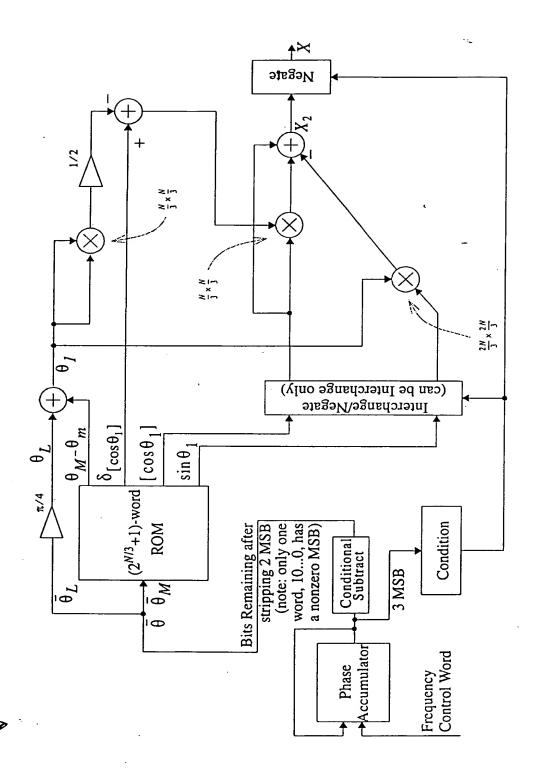


FIG. 54



Fe. 55 Angle Rotator Configured as a Quadrature Direct Digital Synthesizer (QDDS).



Fro. S6 Angle Rotator Configured as a "Cosine-only" Direct Digital Synthesizer (DDS) {from Fig 39}.

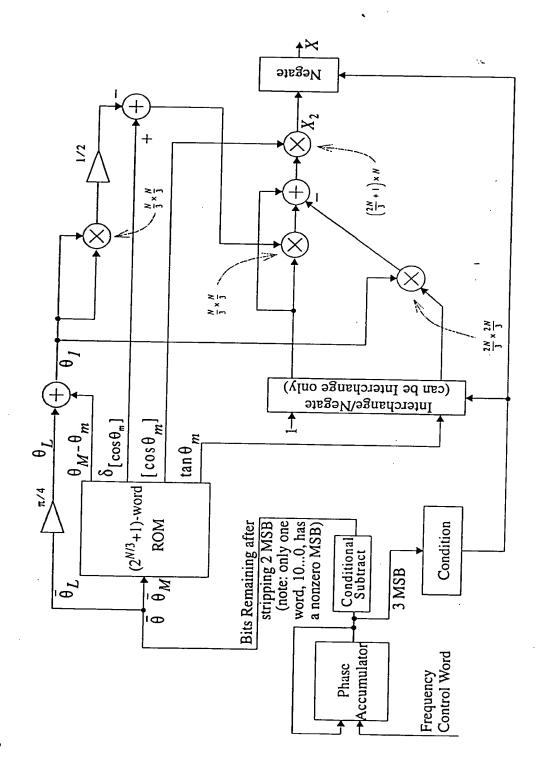


Fig. 57 Angle Rotator Configured as a "Cosine-only" Direct Digital Synthesizer (DDS) (from Fig. 44.

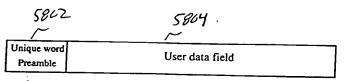


FIG 58: Common packet format.

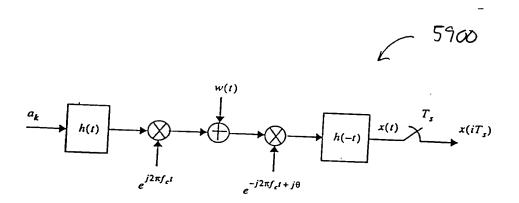


FIG.59: The simplified system model.

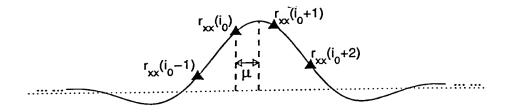


Fig. 60 Mean values of the preamble correlator output, for $\theta = 0$.

GIOD

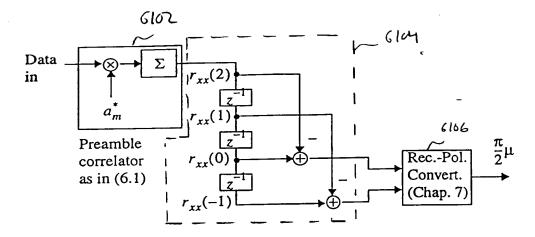


Fig. 61° Preliminary symbol-timing estimation structure.



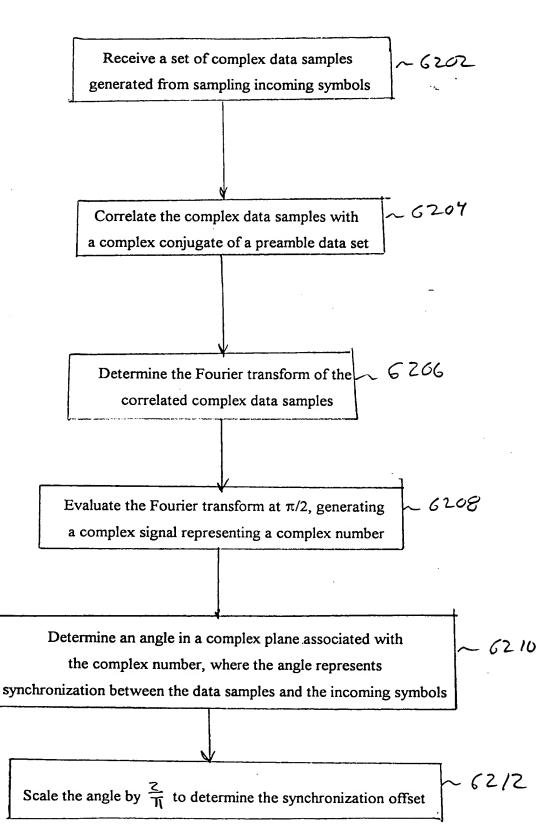


FIG. 62

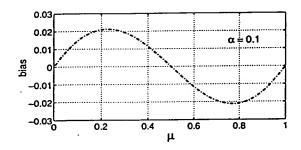


FIG. 63 Bias due to truncation.

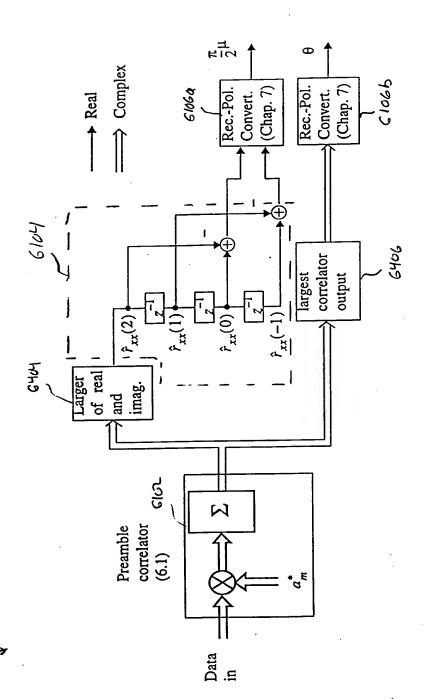


Fig. 64 Structure for carrier-phase and symbol timing recovery.

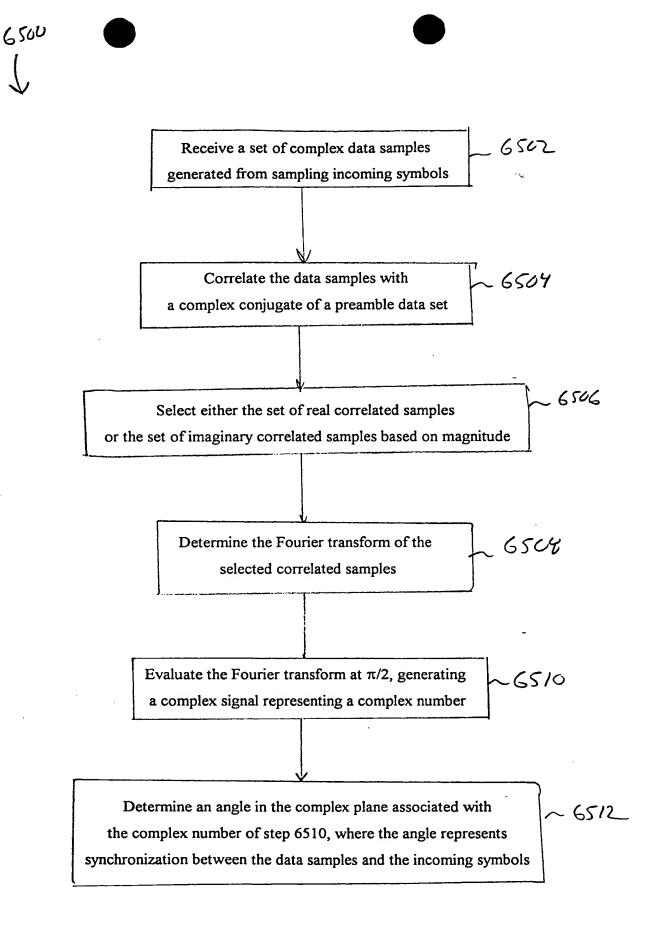
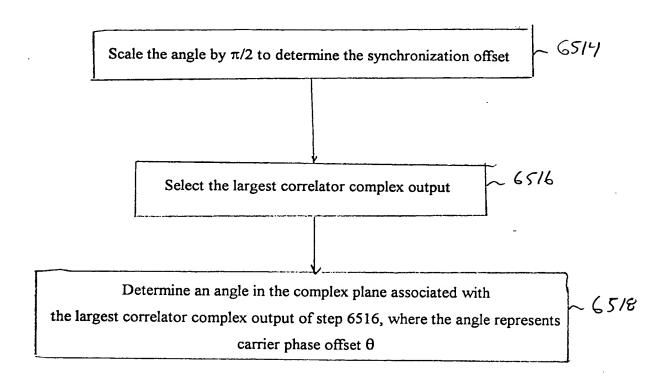


FIG. 65A





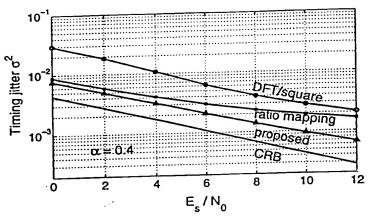


Figure 66: Timing jitter variance, $\alpha = 0.4$.

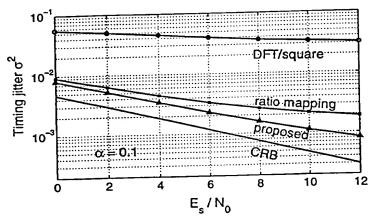


Figure 67: Timing jitter variance, $\alpha = 0.1$.

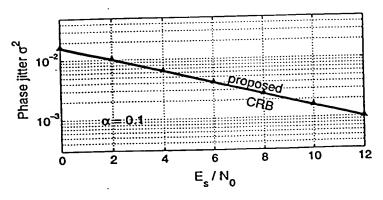
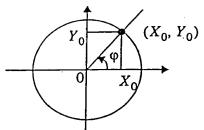


Figure 68: Phase jitter variance, $\alpha = 0.1$.



:<u>.</u>.

(TG. 67) Cartesian to polar conversion.

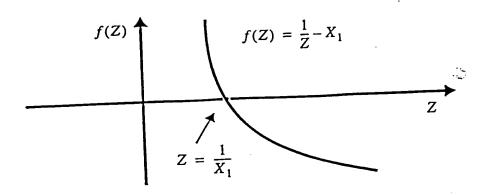


FIG TOA: Using Newton-Raphson iteration to find $1/X_1$.

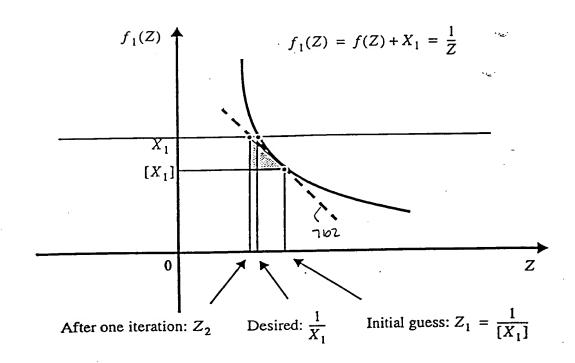
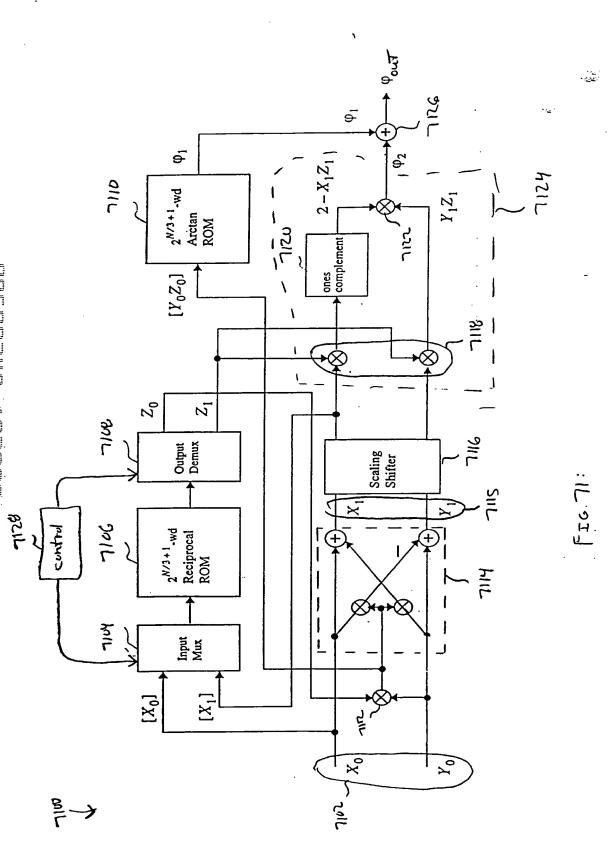


FIG 708: One Newton-Raphson iteration.



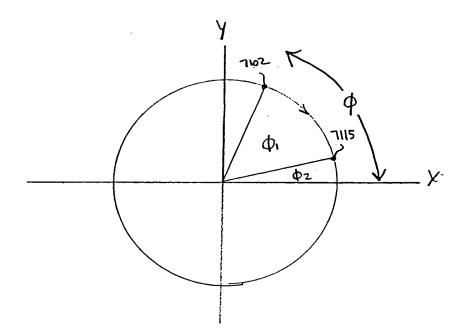
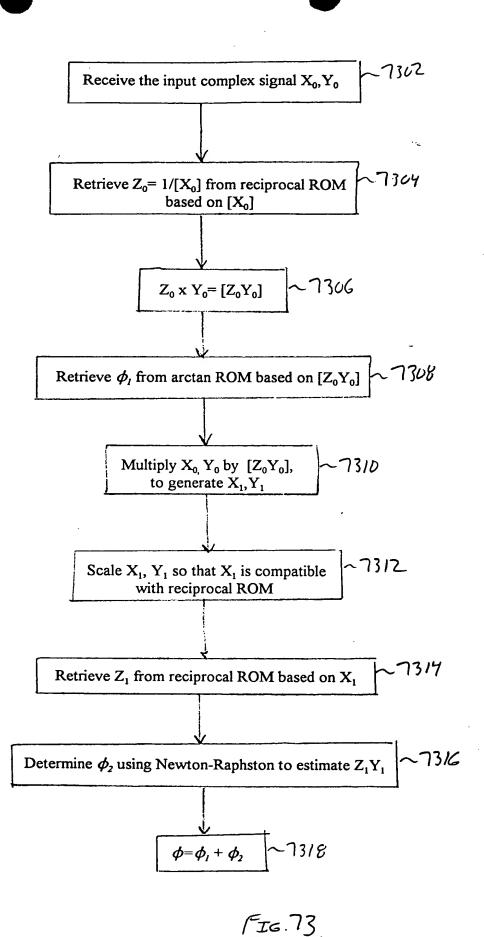


FIG.72



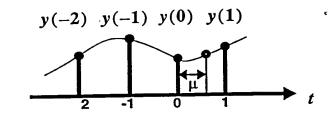


Fig. 74 Interpolation in a non-center interval.

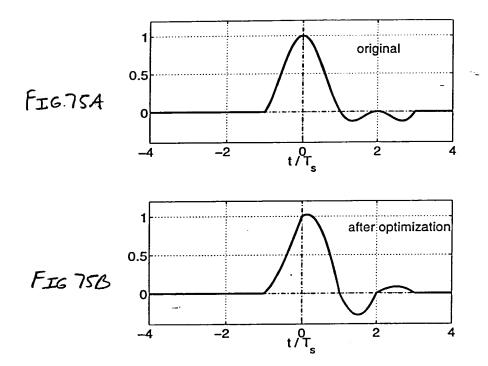


FIG. 75A-B: Impulse responses of the non-center-interval interpolation filter A, before and B, after optimization.

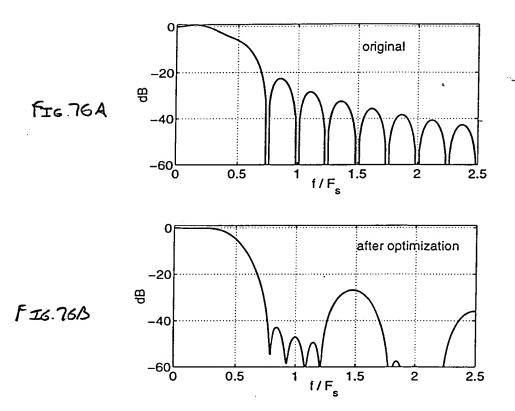
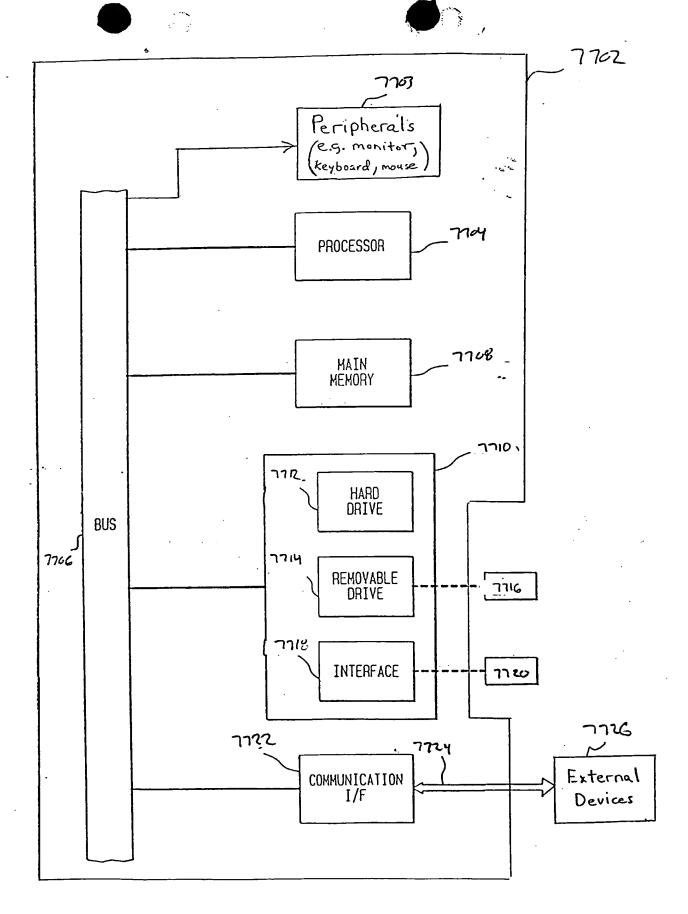
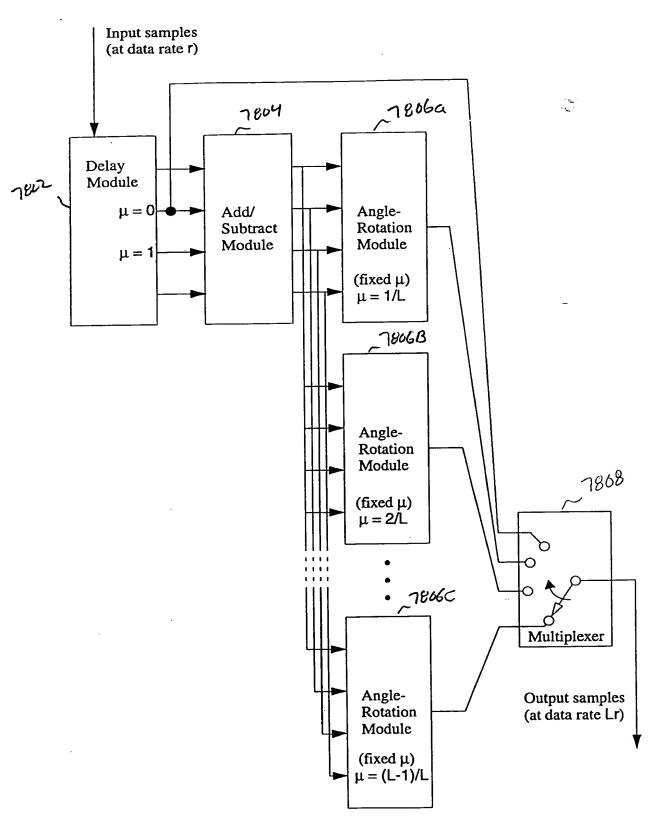


Fig. 76A - B: Frequency responses of the non-center-interval interpolator before optimization and , after optimization.



F16. 77



FIC. 78 Data Rate Expansion Circuit.